# Modeling polarization from relativistic outflows

Tania Garrigoux NWU, Potchefstroom

with M. Boettcher and Z. Wadiasingh

Tania Garrigoux

BH Kathmandu 2016

NORTH-WEST UNIVERSITY YUNIBESITI YA BOKONE-BOPHIRIMA NOORDWES-UNIVERSITEIT

#### <u>Blazars</u>

Class of AGN consisting of BL Lac objects and gammaray bright quasars Rapidly (often intra-day) variable

- Strong gamma-ray sources
- Radio jets, often with superluminal motion
- Radio and optical polarization

Quasar 3C175 YLA 6cm image (c) NRAO 1996

# **Open Physics Questions**

- Source of Jet Power (Blandford-Znajek / Blandford/Payne?)
- Physics of jet launching / collimation / acceleration – role / topology of magnetic fields
- Mode of particle acceleration (shocks / shear layers / magnetic reconnection?) – role of B fields
- Location of the energy dissipation / gamma-ray emission region
- Composition of jets (e--p or e+-e- plasma?) leptonic or hadronic high-energy emission?

#### Leptonic Blazar Model



#### Hadronic Blazar Models



#### Leptonic and Hadronic Model Fits along the Blazar Sequence

3C454.3



#### Leptonic and Hadronic Model Fits Along the Blazar Sequence



#### <u>Lepto-Hadronic Model Fits</u> <u>Along the Blazar Sequence</u>

RGB J0710+591 (HBL)



# **Polarization Angle Swings**

(mJy)

د بي

R-Band Flux Density

5000

- Optical +  $\gamma$ -ray variability of LSP blazars often correlated
- Sometimes  $O/\gamma$  flares correlated with increase in optical polarization and multiple rotations of the polarization angle (PA)



#### **Distinguishing Diagnostic: Polarization**

<u>Synchrotron Polarization</u>

For synchrotron radiation from a power-law distribution of electrons with ne ( $\gamma$ ) ~  $\gamma$ -p  $\rightarrow$  Fv ~ v- $\alpha$  with  $\alpha = (p-1)/2$ 

$$\prod_{L}^{p} = \frac{p+1}{p+7/3} \frac{\alpha+1}{\alpha+5/3}$$

$$p = 2 \rightarrow \Pi = 69 \%$$

 $p = 3 \rightarrow \Pi = 75 \%$ 

<u>Compton Polarization</u>

Compton cross section is polarization-dependent:

$$\frac{d\sigma}{d\Omega} = \frac{r_0^2}{4} \left(\frac{\epsilon'}{\epsilon}\right)^2 \left(\frac{\epsilon}{\epsilon'} + \frac{\epsilon'}{\epsilon} - 2 + 4\left[\overrightarrow{e} \cdot \overrightarrow{e'}\right]^2\right)$$

Thomson regime:  $\varepsilon \approx \varepsilon'$  $\Rightarrow d\sigma/d\Omega = 0$  if  $\vec{e} \cdot \vec{e}' = 0$ 

⇒ Scattering preferentially in the plane perpendicular  $t\bar{o}^{>}e!$ 

```
Preferred polarization direction is preserved
```



Tania Garrigoux

#### <u>X-Ray Polarization:</u> <u>IC - UV</u>

Modeling of AO 0235+164

Thermal + non thermal electron distribution results self-consistently from MC simulations of DSA

External Compton scattering of thermal distribution

⇒Importance of Bulk Compton process

Tania Garrigoux



#### Polarization in the IC- UV scenario

We define Stokes parameters normalized by I, the total energy density of the photon (*Chang et al*, 2013)

$$\xi_1^f = U/I$$
  $\xi_2^f = V/I$   $\xi_3^f = Q/I$ 

The degree of polarization  $\Pi$  is then defined by:

$$\Pi = \sqrt{(\xi_1^f)^2 + (\xi_2^f)^2 + (\xi_3^f)^2}$$
with  $\xi_1^f = \frac{\xi_1^i \langle F_{11} \rangle}{\langle F_0 \rangle + \xi_3^i \langle F_3 \rangle}$   $\xi_2^f = \frac{\xi_2^i \langle F_{22} \rangle}{\langle F_0 \rangle + \xi_3^i \langle F_3 \rangle}$   $\xi_3^f = \frac{\langle F_3 \rangle + \xi_3^i \langle F_{33} \rangle}{\langle F_0 \rangle + \xi_3^i \langle F_3 \rangle}$ 

$$\langle F_a \rangle = \frac{1}{c} \int_{\gamma_1}^{\gamma_2} \frac{dn_e}{d\epsilon d\Omega}(\gamma) \, d\gamma \int \int \int \frac{dn_\gamma}{d\epsilon d\Omega}(\epsilon_i) \left(\frac{\epsilon_f}{\epsilon_i}\right)^2 F_a \, \delta(\epsilon_f - \epsilon_1) \, d\epsilon_i \, d\Omega_e \, d\Omega_\gamma$$

Tania Garrigoux

#### Polarization in the IC- UV scenario



#### <u>X-Ray Polarization:</u> <u>IC - UV</u>



Tania Garrigoux

#### <u>Summary</u>

- 1. Both leptonic and hadronic models can generally fit blazar SEDs well. Possible distinguishing diagnostics: Variability, polarization, neutrinos
- 2. A model is being developed to study x-ray polarization in the IC-UV scenario, including the Bulk Compton process.
- 3. <u>Next steps</u> would include integration over θi and study of the influence of different parameters (bulk factor, temperature of electron distribution)
- 4. Future polarimetry missions can play a determinant role in constraining the models of jet physics



Tania Garrigoux

BH Kathmandu 2016

NORTH-WEST UNIVERSITY6 YUNIBESITI YA BOKONE-BOPHIRIMA NOORDWES-UNIVERSITEIT



YUNIBESITI YA BOKONE-BOPHIRIMA NOORDWES-UNIVERSITEIT

#### Thank you!

# **Backup slides**

#### <u>Blazars</u>

Class of AGN consisting of BL Lac objects and gammaray bright quasars Rapidly (often intra-day) variable

Quasar 3C175 YLA 6cm image (c) NRAO 1996

du 2016

#### Blazar Variability: <u>Example: The Quasar 3C279</u> 2005



#### Blazar Variability: Variability of PKS 2155-304



VHE γ-ray and X-ray variability often closely correlated Tania Garrigoux VHE  $\gamma$ -ray variability on time scales as short as a few minutes!

#### <u>Blazars</u>

Class of AGN consisting of BL Lac objects and gammaray bright quasars Rapidly (often intra-day) variable

#### Strong gamma-ray sources

Quasar 3C175 YLA 6cm image (c) NRAO 1996

thmandu 2016

# Blazar Spectral Energy Distributions (SEDs)



#### **Superluminal Motion**



(The MOJAVE Collaboration)



#### **Superluminal Motion**

Apparent motion at up to ~ 40 times the speed of light! Tania



# Spectral modeling results along the<br/>Blazar Sequence: Leptonic ModelsBlazar Sequence: Leptonic ModelsLow magnetic fields<br/>(~ 0.1 G);High electron<br/>energies (up to TeV);

Large bulk Lorentz factors ( $\Gamma > 10$ )

No dense circumnuclear material → No strong external Taniaphoton field



#### <u>Spectral modeling results along the</u> <u>Blazar Sequence: Leptonic Models</u>



#### **Constraints from Observations**

If energy-dependent (spectral) time lags are related to energy-dependent synchrotron cooling time scale:

d $\gamma$ /dt = -v0 $\gamma$ 2 with v0 = (4/3) c  $\sigma$ T u'B (1 + k) and k = u'ph/u'B (Compton Dominance Parameter) tcool =  $\gamma$ /|d $\gamma$ /dt| = 1/ (v0 $\gamma$ ) vsy = 3.4\*106 (B/G) ( $\delta$ /(1+z))  $\gamma$ 2 Hz

=> 
$$\Delta tcool \sim B-3/2 (\delta/(1+z))1/2 (1 + k)-1(v1-1/2 - v2-1/2)$$

=> Measure time lags between frequencies v1, v2 → estimate Magnetic field (modulo  $\delta/[1+z]$ )!

Tania Garrigoux

BH Kathmandu 2016

28

(Takahashi et al. 1996)

# Distinguishing Diagnostic: Variability

 Time-dependent leptonic one-zone models produce correlated synchrotron + gamma-ray variability (Mastichiadis & Kirk 1997, Li & Kusunose 2000, Böttcher & Chiang 2002, Moderski et al. 2003, Diltz & Böttcher 2014)

SED 3C 273: Lightcurve Acceleration Time Scale



#### <u>Correlated Multiwavelength Variability</u> in Leptonic One-Zone Models

Example: Variability from short-term increase in 2ndorder-Fermi acceleration efficiency



X-rays anti-correlated with radio, optical,  $\gamma$ -rays;

delayed by ~ few hours. BH Kathmandu 2016 (Diltz & Böttcher, 2014, JHEAp)

30

Tania Garrigoux

#### **Distinguishing Diagnostic: Variability**

 Time-dependent hadronic models can produce uncorrelated variability / orphan flares



(Diltz et al. 2015)



#### **Diagnosing the Location of the Blazar Zone**



Calculation of X-Ray and Gamma-Ray Polarization in Leptonic and Hadronic Blazar Models

• Synchrotron polarization:

Standard Rybicki & Lightman description

- SSC Polarization: Bonometto & Saggion (1974) for Compton scattering in Thomson regime
- External-Compton emission: Unpolarized.

Upper limits on high-energy polarization, assuming perfectly ordered magnetic field perpendicular to the line of sight (Zhang & Böttcher 2013)