

On the arcmin structure of the X-ray Universe

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Introduction

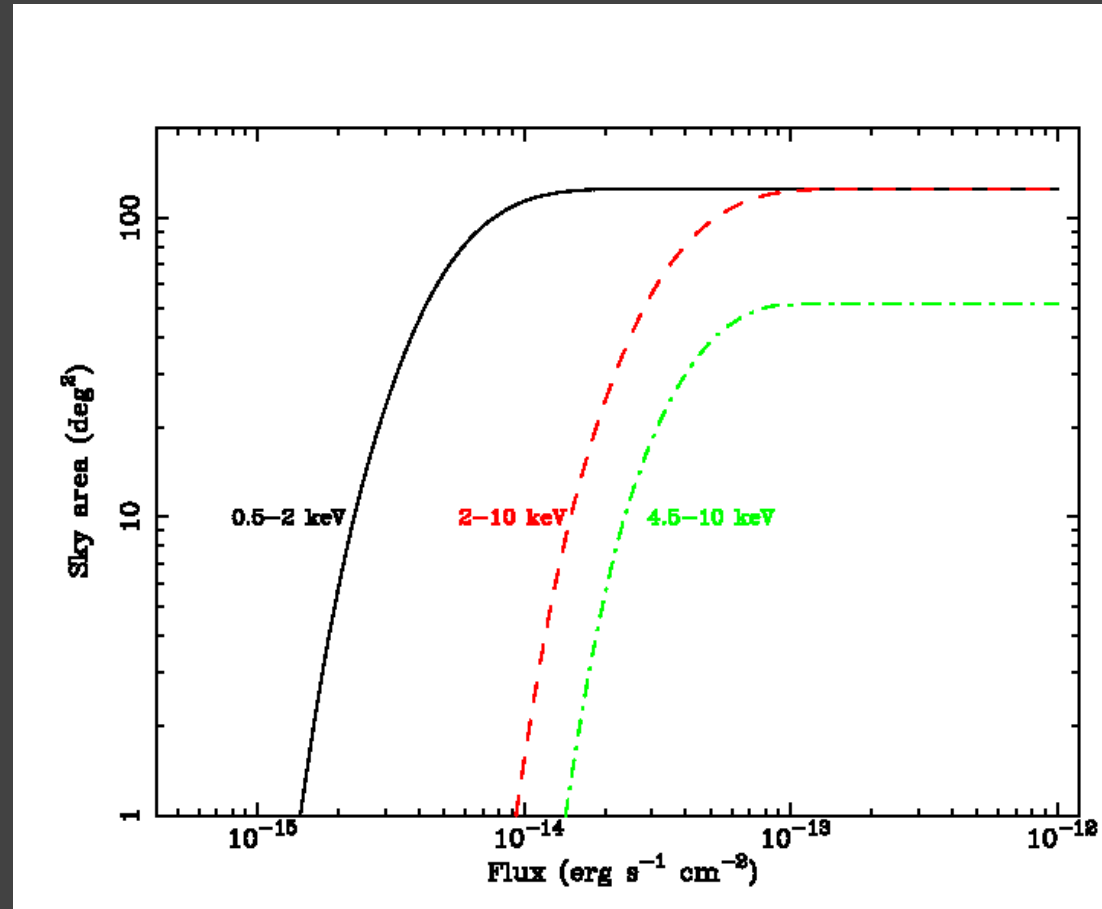
- The vast majority of serendipitous X-ray sources detected by *XMM-Newton* are **Active Galactic Nuclei (AGN)**
- **X-ray emission** is a common feature of AGN activity: X-ray surveys are very effective to compile comprehensive complete AGN samples
- AGN are known to **cluster** strongly (e.g. Mullis+04, Gilli+05, Yang+06, Carrera+07, Gilli+09)
- Previous works have reported clustering (or its absence) with variable significance due to **small-number statistics**

Introduction

- If AGN belong to a large-scale cosmic structure they will tend to appear closer in the sky with respect to a random distribution of sources
- This can be measured by a two-point **angular correlation function**
- The ideal sample must achieve both **width** (to prevent single structure biases) and **depth** (high angular density of sources)

The sample (Mateos et al. 2008)

- Detection bands:
 - **Soft:** 0.5 – 2 keV (~31000 sources)
 - **Hard:** 2-10 keV (~9000 sources)
 - **Ultrahard:** 4.5-10 keV (~1200 sources)
- 1063 *XMM-Newton*/EPIC-pn observations (~125 deg²)
 - High galactic latitudes
 - > 5 ks clean exposure time (>20 ks in the UH band)
 - No bright or extended X-ray sources



Angular correlation function: method

- We used the estimator proposed by Landy & Szalay (1993):

$$w(\theta_l) = \frac{DD - 2DR + RR}{RR},$$

DD: #pairs data-data sample

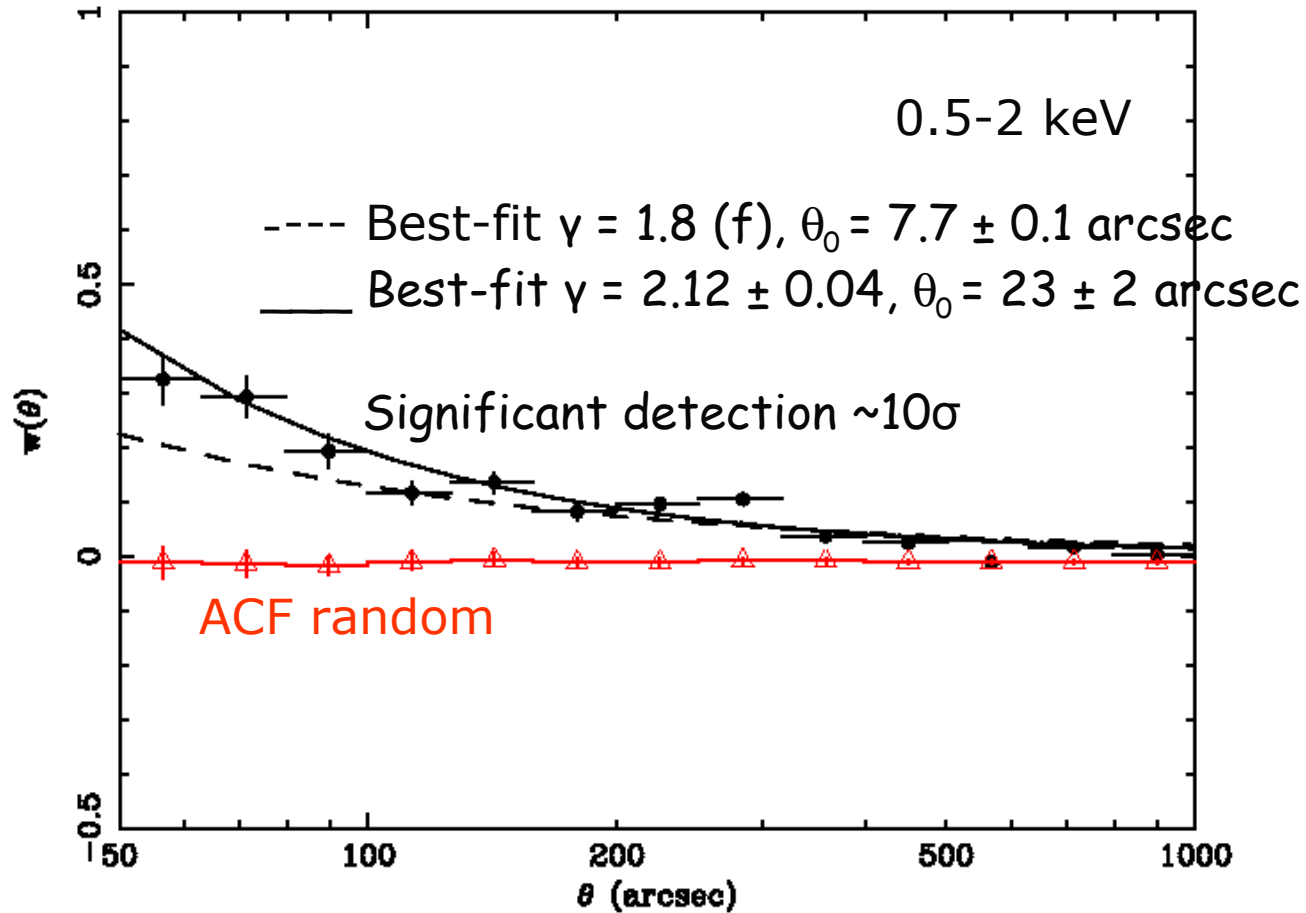
DR: #pairs data-random sample

RR: #pairs random-random sample

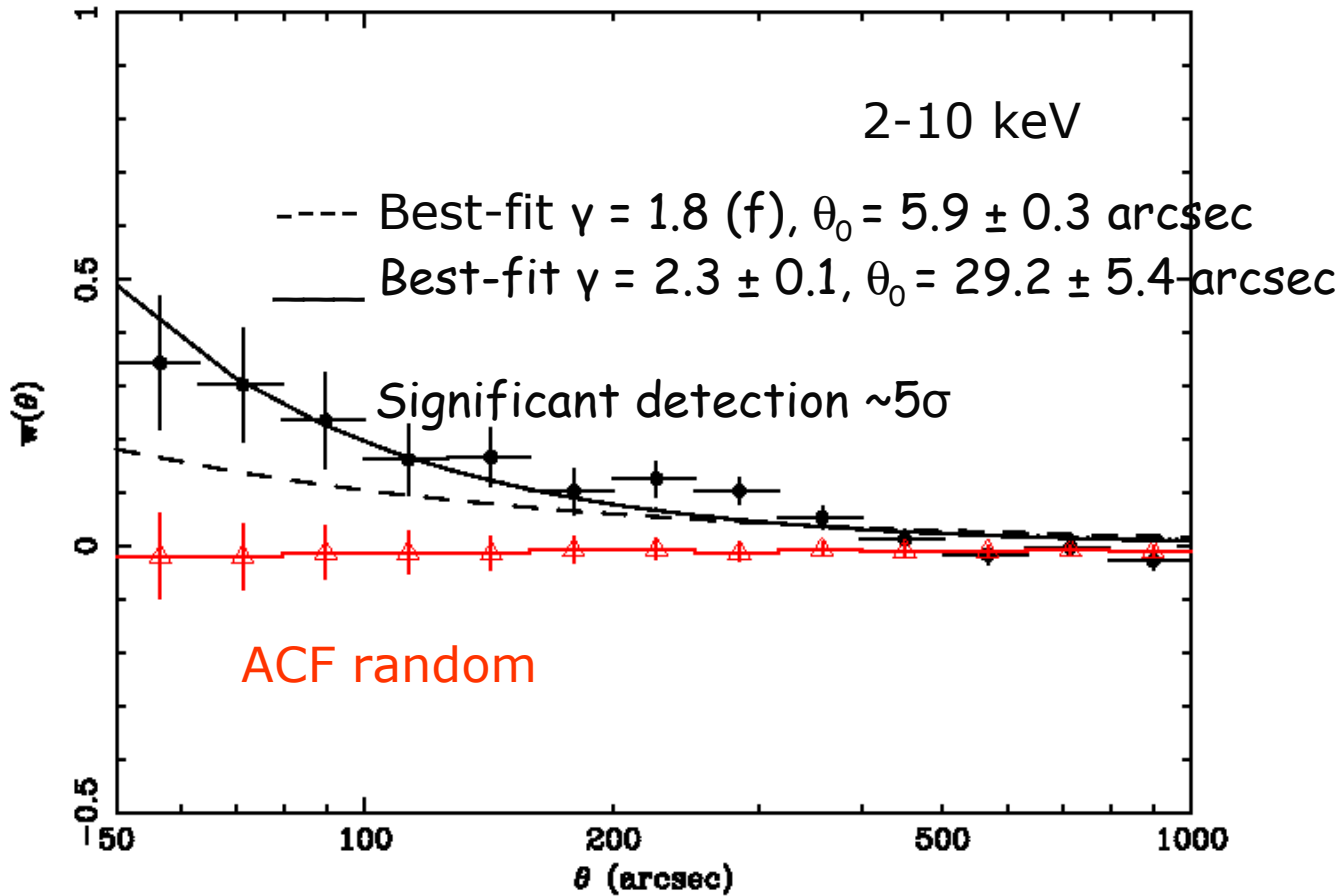
- Random sample extracted using a **bootstrap** method (Carrera et al. 07)
 - Randomize the azimuthal angle around the optical axis
 - Accounts for the off-axis sensitivity decline
 - $CR > CR(x_{new}, y_{new})$ until $N_{random} = N_{real}$
 - 100 simulations
- Fit to an analytical model
 - ∇ χ^2 technique
 - Takes into account correlations in the errors in different angular bins (Miyaji et al., 2007)

$$W_{model}(\theta) = \left(\frac{\theta}{\theta_0}\right)^{1-\gamma},$$

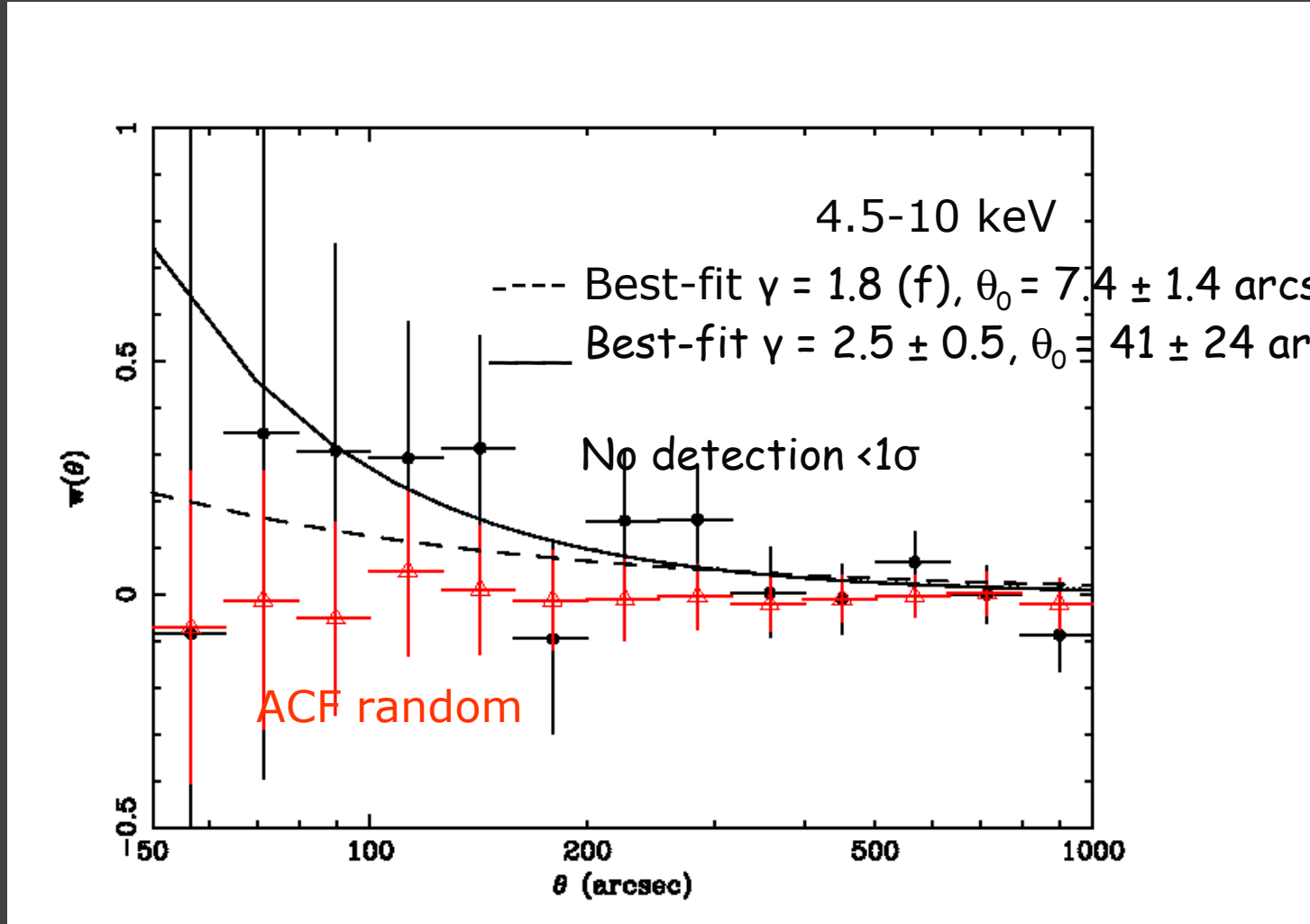
Angular correlation function: results



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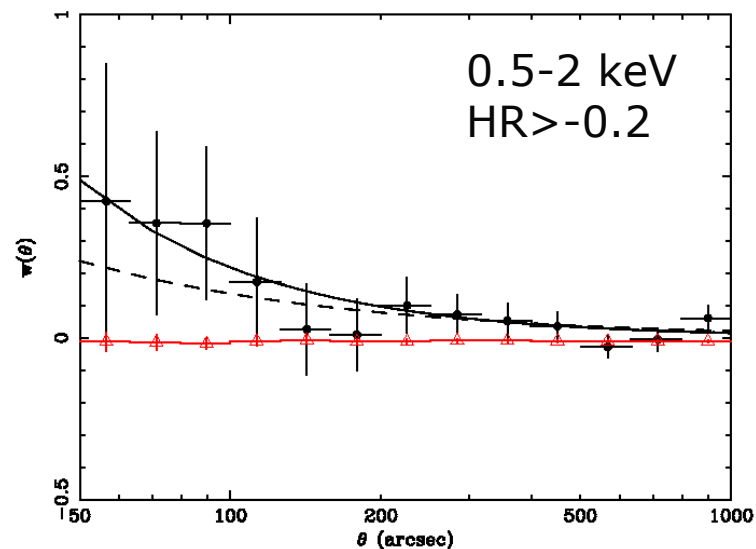
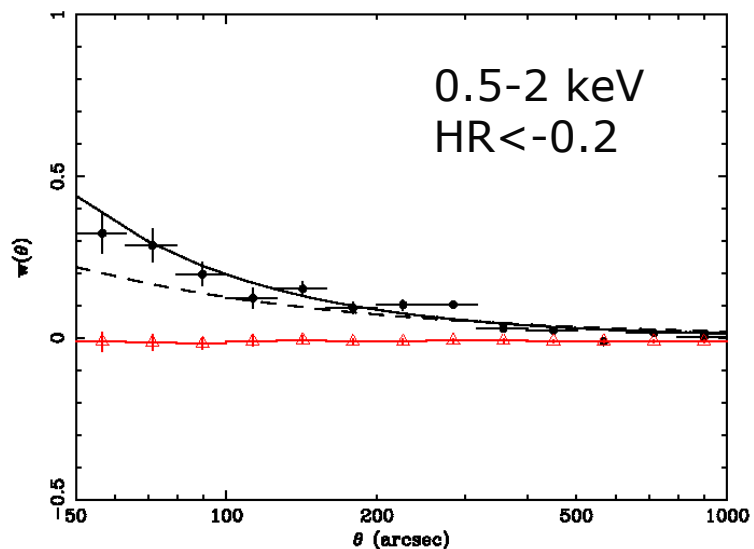


Angular correlation function: results



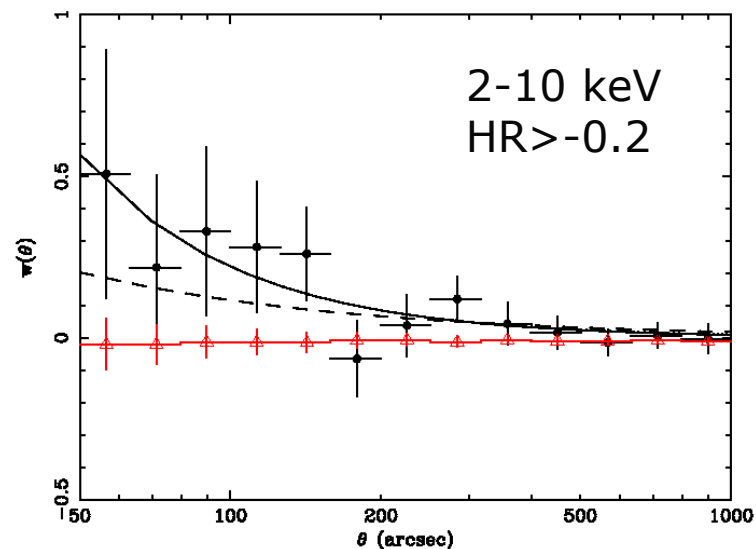
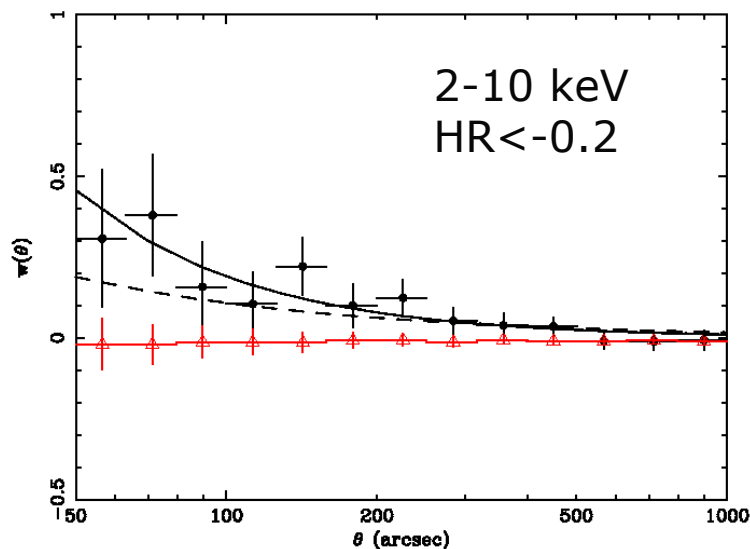
Do obscured AGN cluster differently?

- Sample splitted in $HR < -0.2$ and $HR > -0.2$ subsamples
- Slopes and θ_0 are consistent within 1σ in both the **soft** and **hard** bands



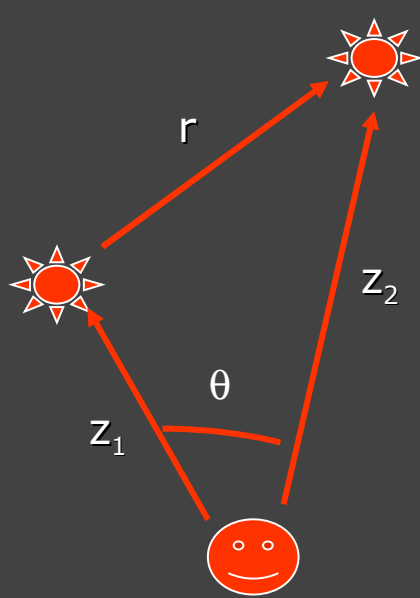
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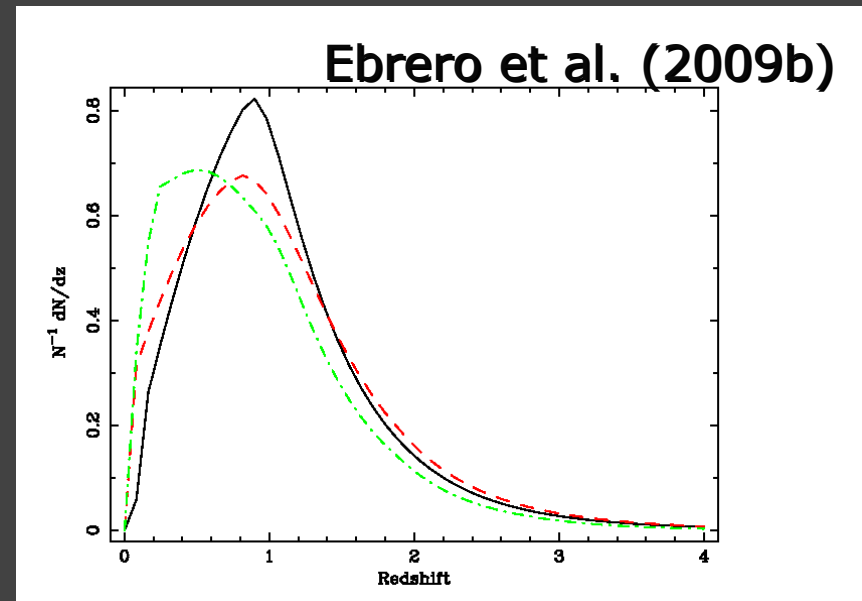
$HR > -0.2$ sources do not have different clustering properties

Moving along the third dimension



$$\xi(r, z) = \left(\frac{r}{r_0}\right)^{-\gamma} (1+z)^{-(3+\epsilon)}$$

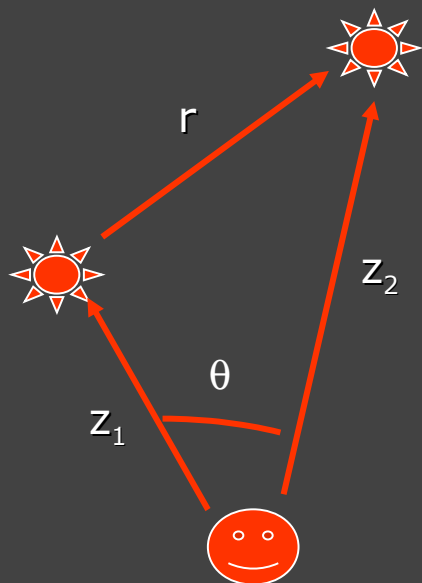
Spatial correlation function
De Zotti et al. (1990)



$$\theta_0^{y-1} = H_\gamma \left(\frac{r_0^\gamma H_0}{c}\right) \int_0^\infty \left(\frac{1}{N} \frac{dN}{dz}\right)^2 \frac{E(z) (1+z)^{-3-\epsilon+\gamma}}{D_c^{y-1}(z)} dz,$$

Limber's equation

Moving along the third dimension



$$\xi(r, z) = \left(\frac{r}{r_0}\right)^{-\gamma} (1+z)^{-(3+\epsilon)}$$

Spatial correlation function
De Zotti et al. (1990)

X-ray selected AGN

Soft: $\epsilon = \gamma - 3 \rightarrow r_0 = 12.3 \pm 0.1 \text{ h}^{-1} \text{ Mpc}$

$\epsilon = -3 \rightarrow r_0 = 6.55 \pm 0.05 \text{ h}^{-1} \text{ Mpc}$

Hard: $\epsilon = \gamma - 3 \rightarrow r_0 = 9.9 \pm 2.2 \text{ h}^{-1} \text{ Mpc}$

$\epsilon = -3 \rightarrow r_0 = 5.7 \pm 1.4 \text{ h}^{-1} \text{ Mpc}$

Optically selected AGN

$$\theta_0^{\gamma-1} = H_\gamma \left(\frac{r_0^\gamma H_0}{c}\right) \int_0^\infty \left(\frac{1}{N} \frac{dN}{dz}\right)^2 \frac{E(z) (1+z)^{-3-\epsilon+\gamma}}{D_c^{\gamma-1}(z)} dz,$$

Limber's equation

DMH and the lifetime of AGN

- The **bias** parameter connects AGN and **dark matter haloes**
- Large-scale bias relation as a function of halo mass **$b(M, z)$** (Sheth et al. 2001)

Estimated from Limber's equation

$$b^2(z) = \frac{\xi_{\text{AGN}}(\delta, z)}{\xi_{\text{DMH}}(\delta, z)},$$

Derived from the cosmology (Λ -CDM)

Typical $\log M_{\text{DMH}} \sim 12.7 \pm 0.3 h^{-1} M_{\square}$ at $z \sim 1$

- Relation between the comoving density of AGN and DMH and their lifetime (Martini & Weinberg 2001):

$$t_{\text{AGN}}/t_{\text{DMH}} = \Phi_{\text{AGN}}/\Phi_{\text{DMH}}$$

AGN lifetime: $t_{\text{AGN}} \sim 3 - 5 \times 10^8 \text{ yr}$

Conclusions

- We have determined with **unprecedented** accuracy the angular clustering of a very large serendipitous X-ray sample
- **Very significant** positive clustering signal in both **soft** and **hard** X-rays
- Sources with $HR > -0.2$ do **not** cluster differently
- Deprojection of ACF via Limber's equation provide results **consistent** with SCF results from highly identified AGN samples
- ACF analysis are useful tools to estimate **cosmological** parameters (bias, mass of DMH, lifetime of AGN)