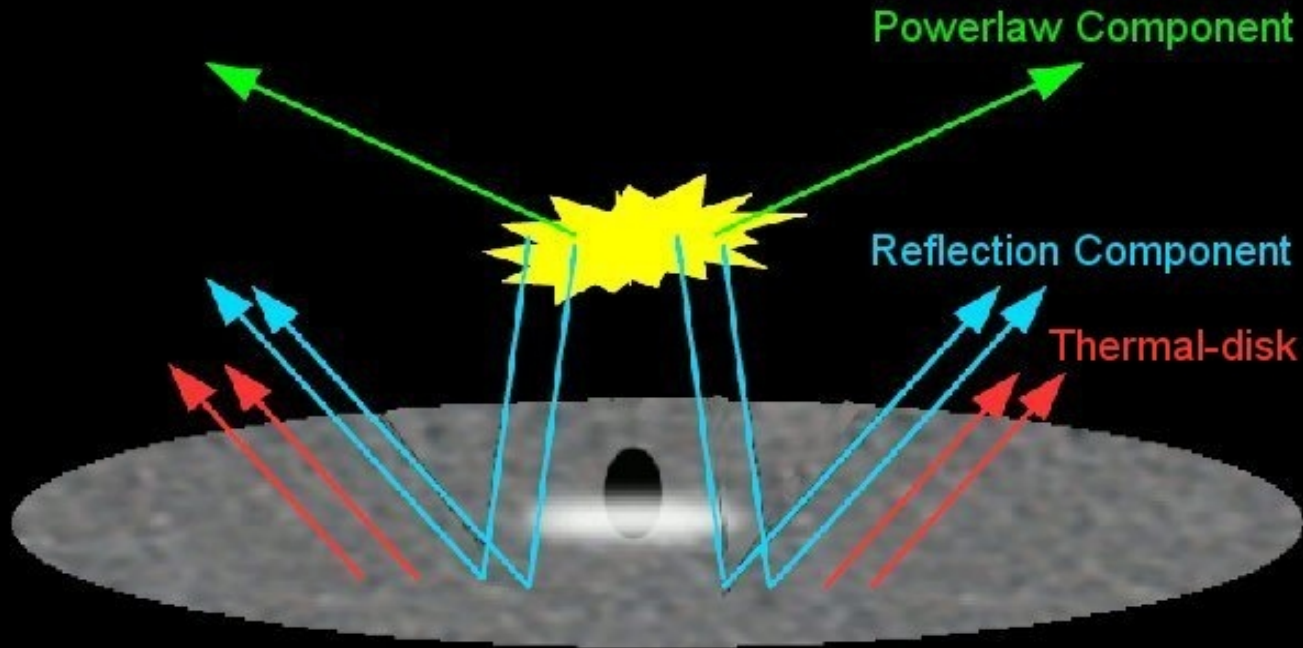


Stellar mass black hole accretion disks in the low-hard state

Rubens Reis
Institute of Astronomy - Cambridge

In collaboration with Andy Fabian and Jon Miller

Introduction: Geometry and Spectral components



The origin of the hard powerlaw-like component is still not established:

- ➡ Base of a jet
- ➡ Patchy corona/Magnetic flares
- ➡ Advection-dominated region

The innermost extent of the accretion disk in the low-hard state (LHS) is still not established

Introduction: Shakura-Sunyaev accretion disk

Characteristic blackbody temperature can be approximated as

$$kT \sim (M/10 M_{\odot})^{-1/4} (L/L_{Edd})^{1/4} \text{ keV}$$

Stellar-mass black holes in the low-hard state

$$L \sim (0.1 - 1)\% L_{Edd}$$



$$kT \sim 0.1 - 0.3 \text{ keV}$$

Need low energy coverage

If the disk is truncated the temperature will be colder

Our approach:

Systematically investigate spectra of various X-ray binaries in the LHS

Low energy coverage (<3 keV)



XMM-Newton, Chandra, Swift and Suzaku.

Physical parameters (**mass, distance and inclination**) obtained from the literature

Physical parameters + spectral fitting

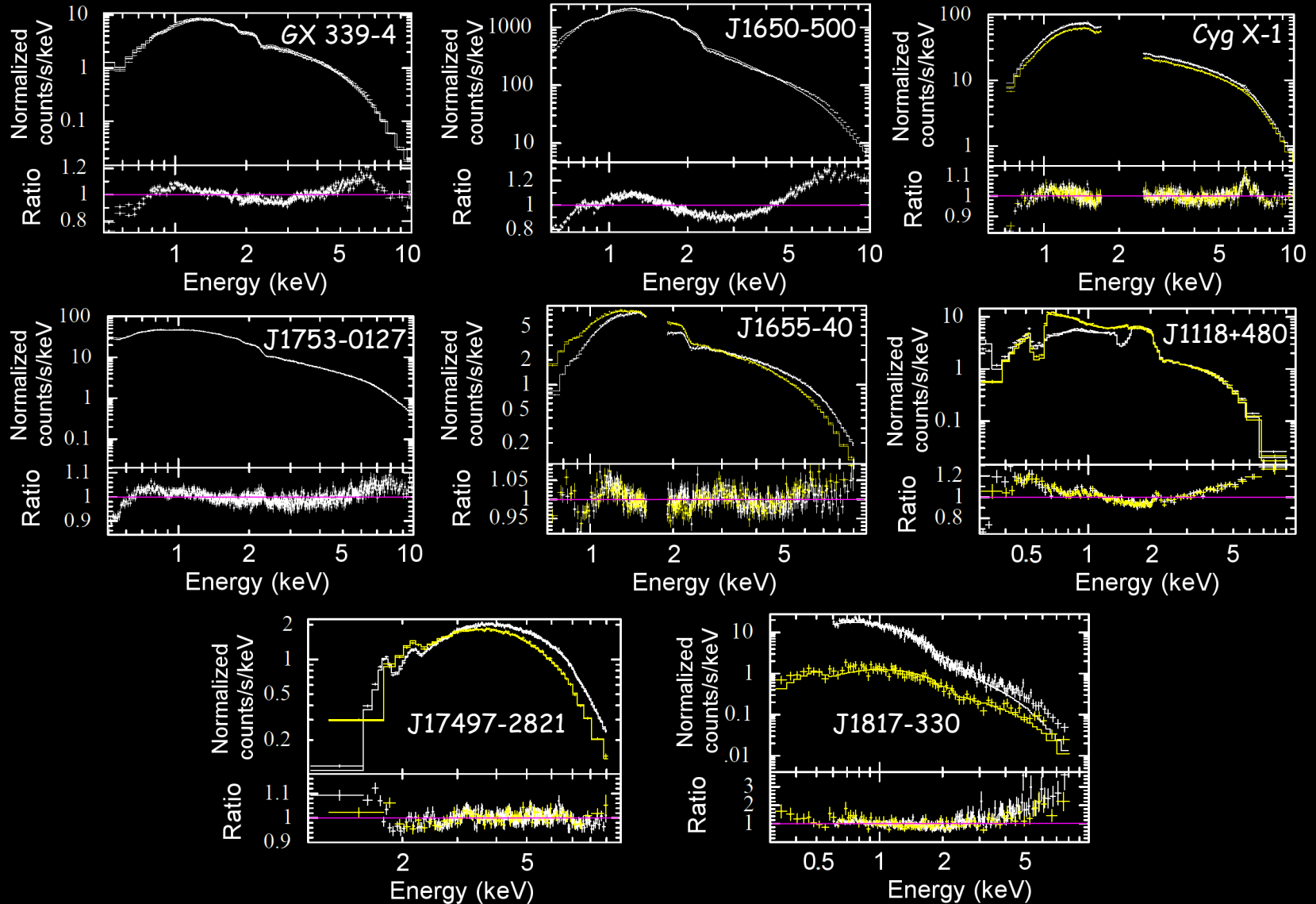
=

constraint in the position of the innermost radius of accretion

The sample:

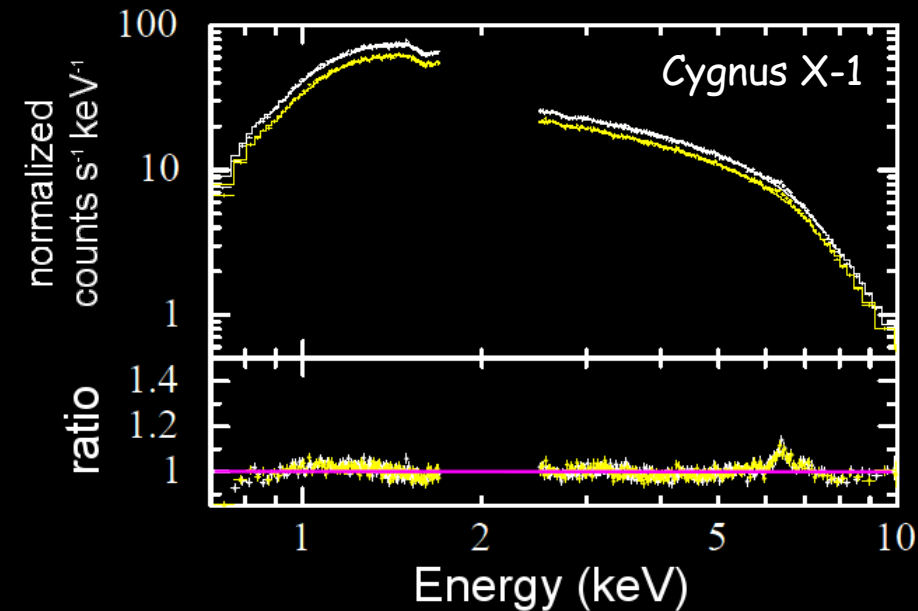
Source	Inclination (degrees)	Distance (kpc)	Mass (M_{\odot})	
GX 339-4	10–30	6–10	10–20	<i>XMM-Newton</i>
J1650-500	47–70	1.9–3.3	5.3–11.3	<i>XMM-Newton</i>
Cygnus X-1	25–50	2.0–2.2	7–25	<i>Suzaku</i>
J1753.5-0127	49–57	7.2–10.0	4–16	<i>XMM-Newton</i>
J1655-40	68.3–87	3.0–3.4	5.8–6.8	<i>Suzaku</i>
J1118+480	60–83	1.2–2.4	7–10	<i>Chandra</i>
J17497-2821	10–80	5–10	5–20	<i>Suzaku</i>
J1817-330	10–80	1–15	4–15	<i>SWIFT</i>

Results: 0.5-10 keV fit with absorbed PL

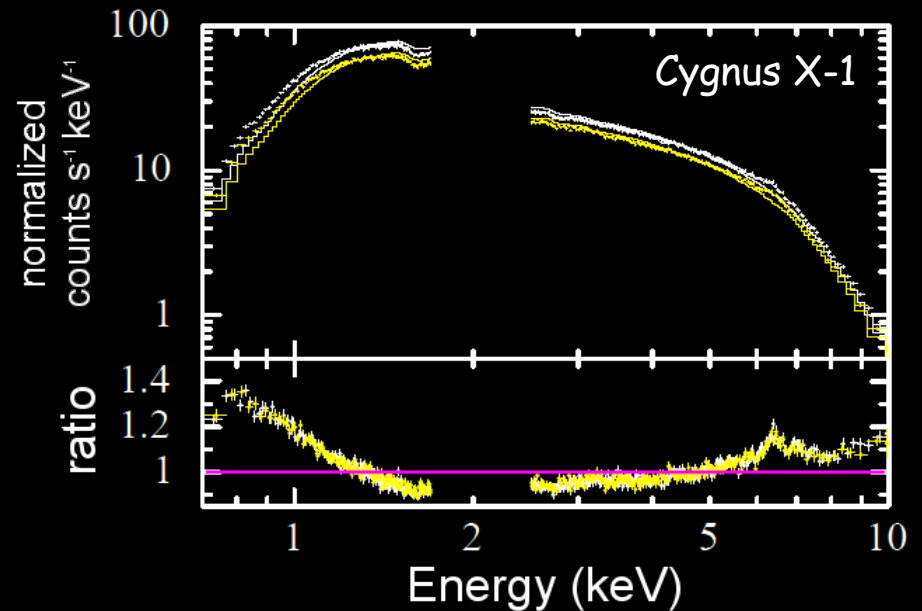


Results: Masking the presence of a disk...

...with an artificially low column density (N_H)



$$N_H = 3.4 \times 10^{21} \text{ cm}^{-2}$$



$$N_H = 5 - 9 \times 10^{21} \text{ cm}^{-2}$$

Average hydrogen column density in direction of Cygnus X-1 is
 $\sim 7.2 \times 10^{21} \text{ cm}^{-2}$ (Kalberla et al. 2005)

Results: PL + Diskbb

Source	$N_H (\times 10^{22} \text{ cm}^{-2})$	Γ	kT (keV)	$N_{\text{Diskbb}} \times 10^3$	χ^2/ν
GX 339-4	0.495 ± 0.006	1.67 ± 0.01	0.254 ± 0.006	$5.02^{+0.80}_{-0.67}$	2874.0/1633
J1650-500	0.556 ± 0.004	2.10 ± 0.01	0.310 ± 0.004	55 ± 4	1507.9/1273
Cygnus X-1 (1)	0.53 ± 0.02	1.71 ± 0.01	$0.194^{+0.005}_{-0.004}$	236^{+63}_{-54}	783.1/722
Cygnus X-1 (2)	0.50 ± 0.02	1.70 ± 0.01	$0.194^{+0.007}_{-0.006}$	155^{+62}_{-49}	719.2/683
J1753.5-0127	0.197 ± 0.004	1.61 ± 0.01	$0.274^{+0.015}_{-0.014}$	$0.32^{+0.11}_{-0.08}$	1961.0/1497
J1655-40	0.63 ± 0.02	1.67 ± 0.01	0.21 ± 0.01	$5.4^{+2.7}_{-2.0}$	1618.8/1439
J1118+480	0.022 ± 0.003	1.69 ± 0.01	0.21 ± 0.01	$7.4^{+1.4}_{-1.2}$	3747.3/4246
J17497-2821	4.72 ± 0.08	1.56 ± 0.01	0.20 ± 0.01	54^{+49}_{-24}	1102.5/1182
J1817-330 (1)	0.12(f)	2.1 ± 0.1	0.20 ± 0.01	27^{+9}_{-6}	204.0/207
J1817-330 (2)	0.12(f)	1.5 ± 0.2	0.21 ± 0.01	$1.3^{+1.5}_{-0.6}$	69.1/79



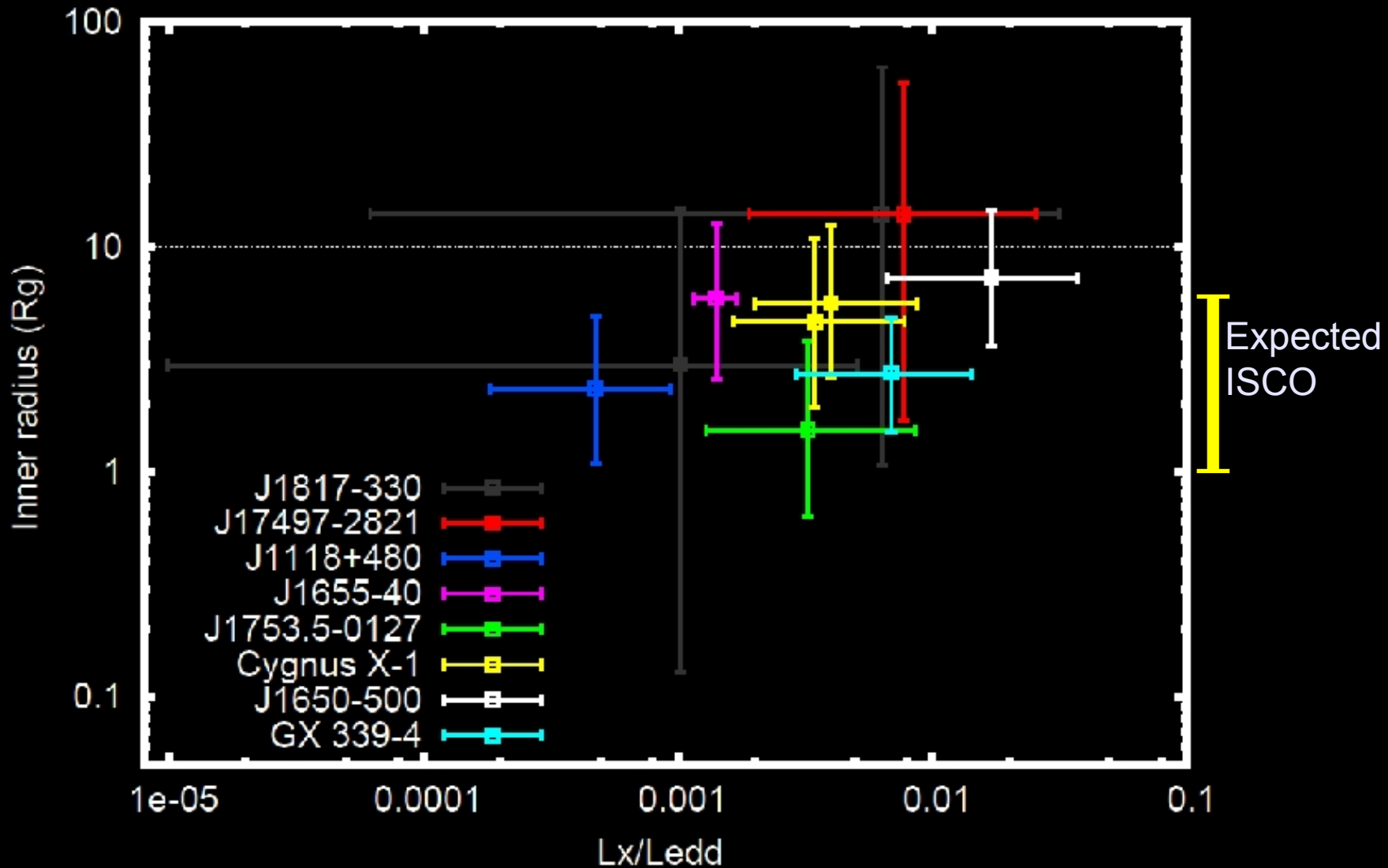
$$N = (R_{in}/D)^2 \times \cos\theta$$

Use estimate of mass, distance and inclination to obtain R_{in} in gravitational radii

$$R_g = GM/c^2$$

Diskbb: Mitsuda et al. 1984
Ezdiskbb: Zimmerman et al. 2005

Results: R_{in} always consistent with ISCO!



Results: Can the disk be truncated at $100R_g$?

Model thermal component with **DISKPN** (Gierlinski et al. 1999) where R_{in} is a free parameter.

Freeze R_{in} at **both 6 and $100R_g$**



Models with and without truncation gives **equally satisfactory fits**.

Only the normalisation differs between the interpretations

Results: Can the disk be truncated at $100R_g$?

Model thermal component with **DISKPN** (Gierlinski et al. 1999) where R_{in} is a free parameter.

Freeze R_{in} at both 6 and $100R_g$



Models with and without truncation gives **equally satisfactory fits**.

Only the normalisation differs between the interpretations



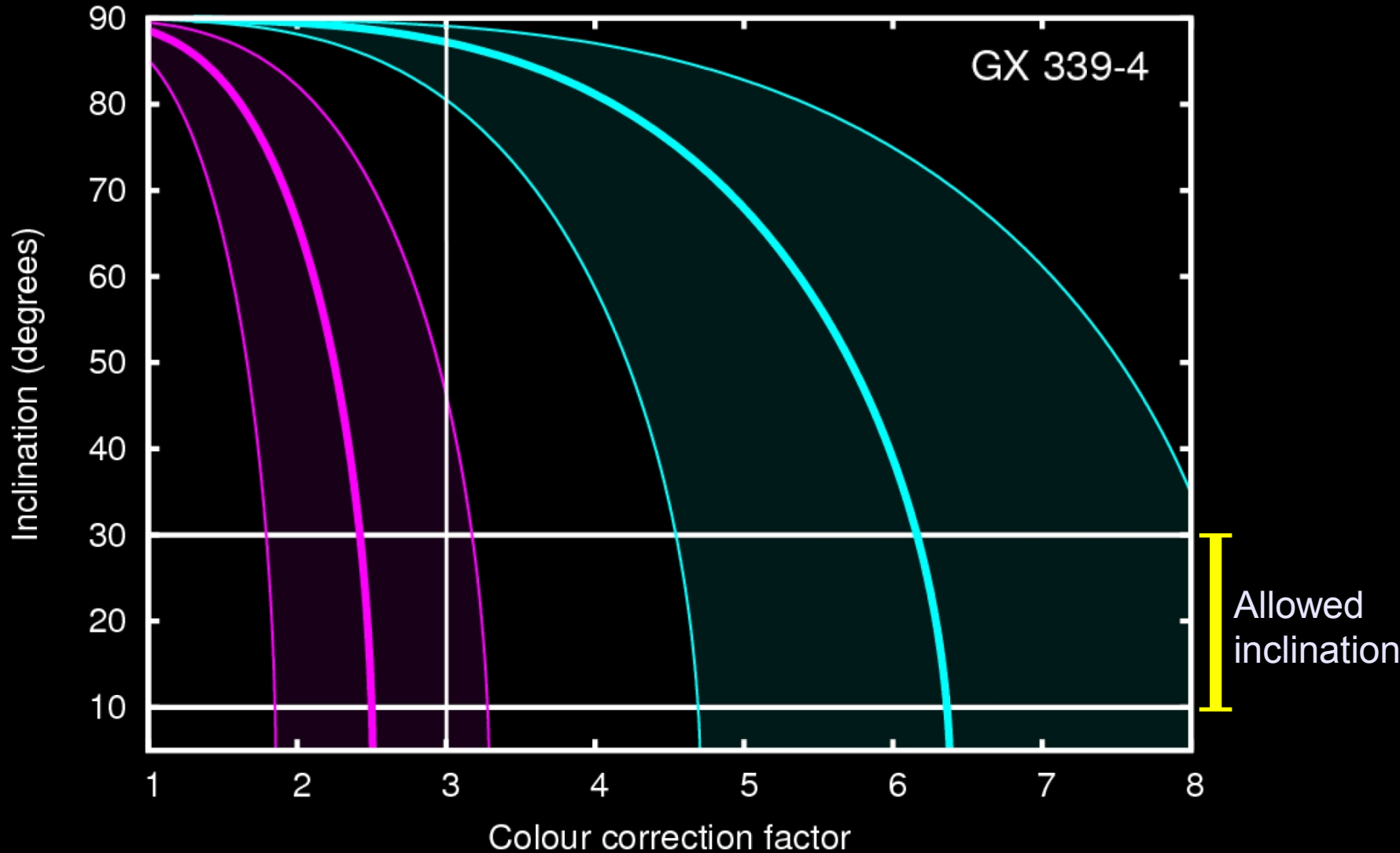
$$N = (1/f^4)(M/D)^2 \cos\theta$$

$$f = T_{col}/T_{eff} \sim 1.7 \\ < 3$$

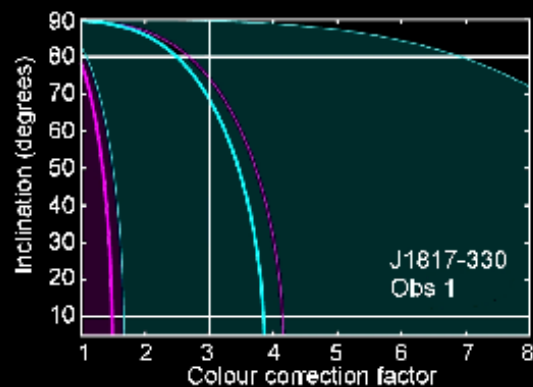
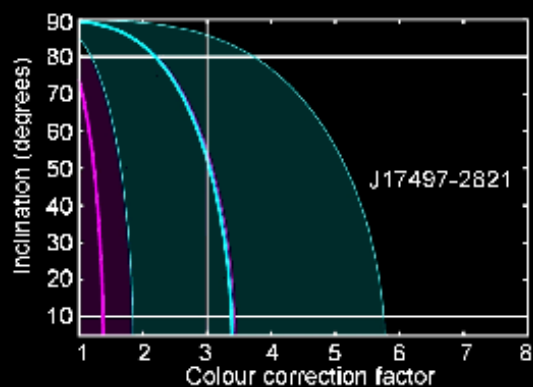
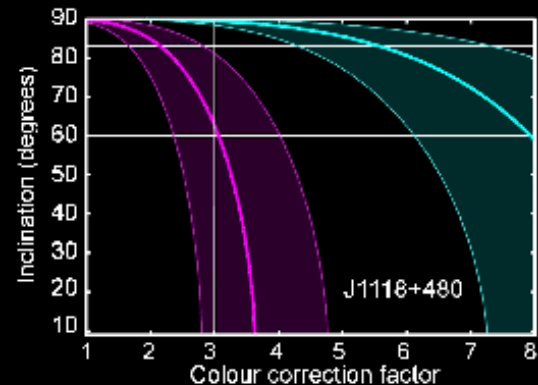
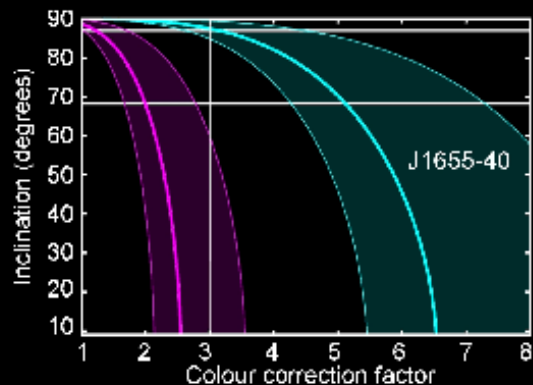
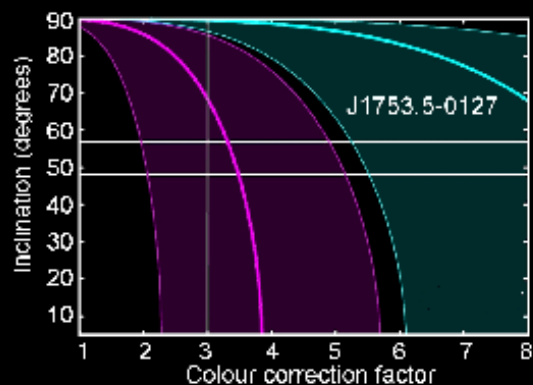
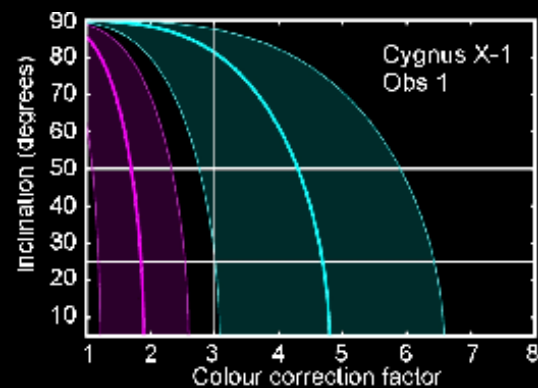
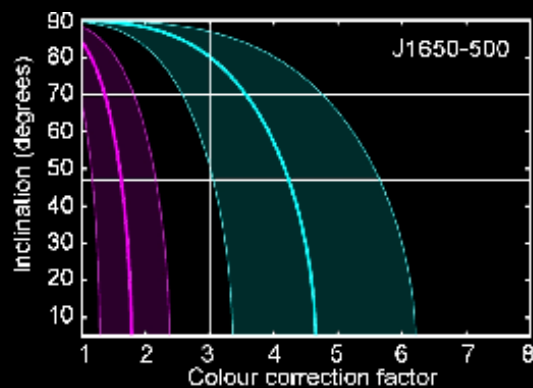
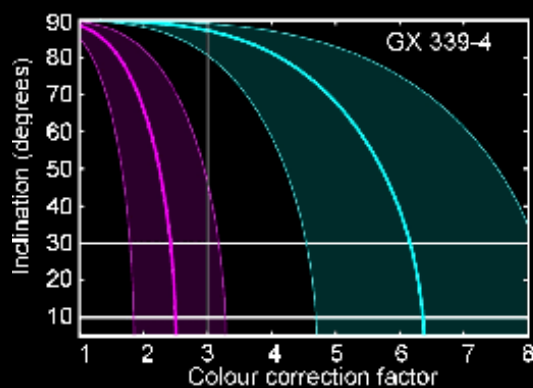
Look at inclination as a function of f

Results:

$$\cos(\theta) = (ND^2/m^2)f^4$$

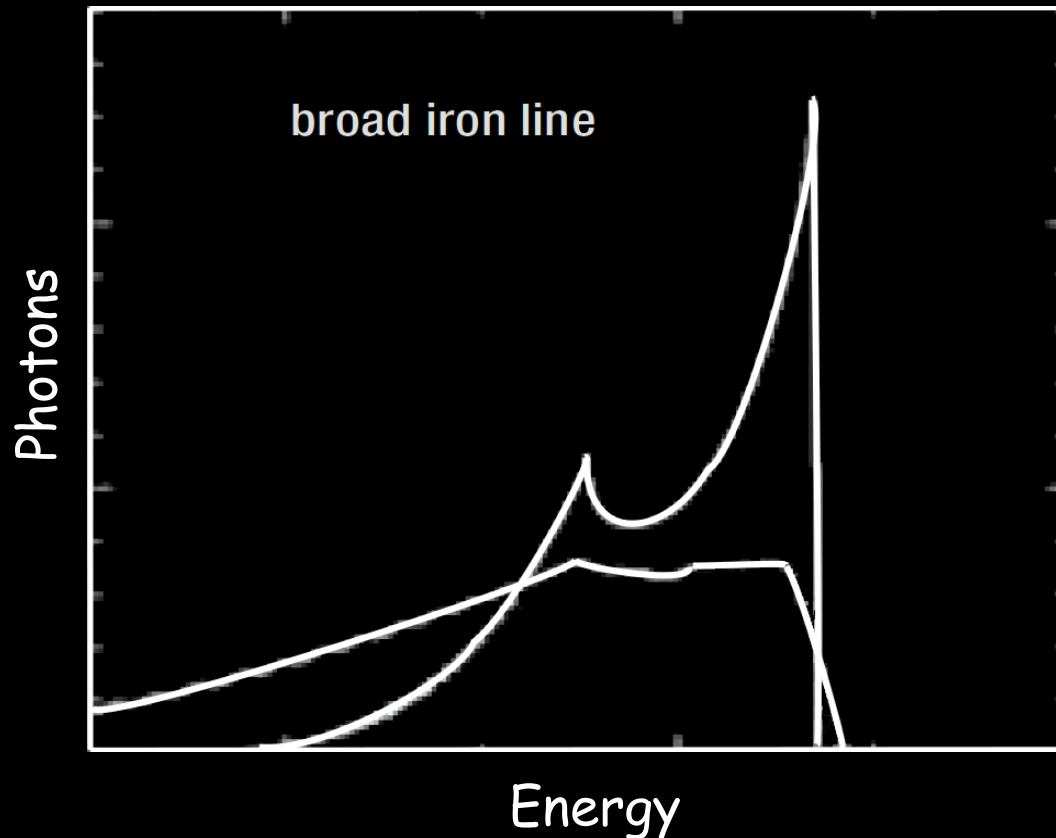


Results:

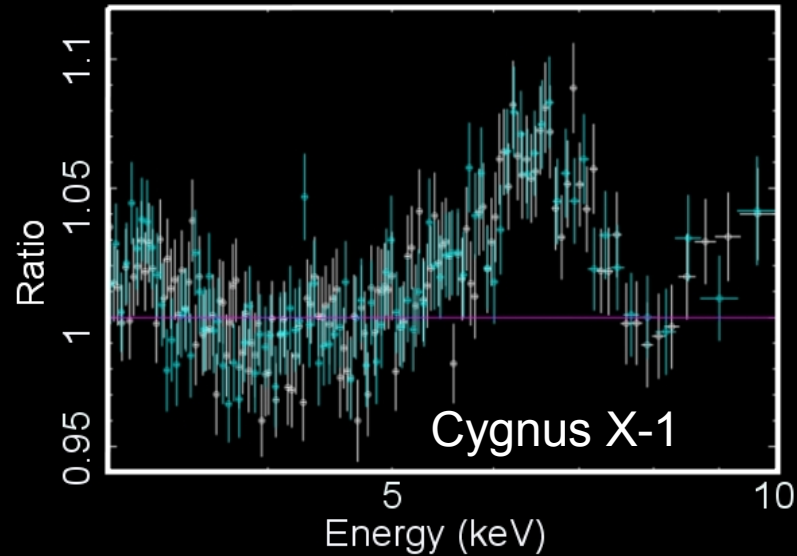
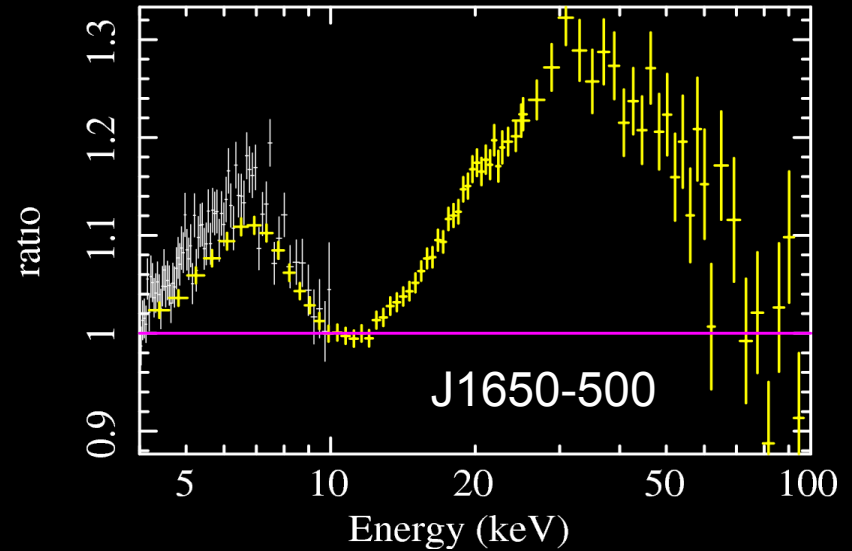
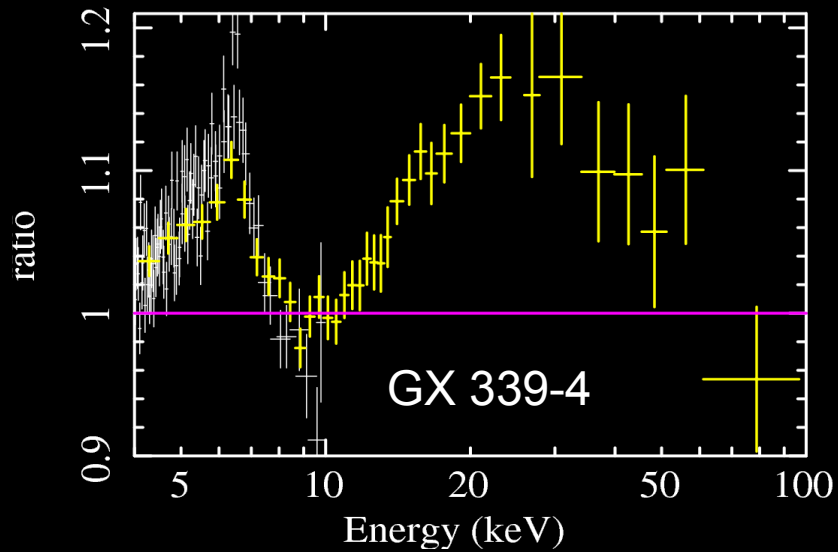


Results: Inner radius from reflection

Constraints on the disk geometry can also be found using reflection signatures



Results: Inner radius from reflection

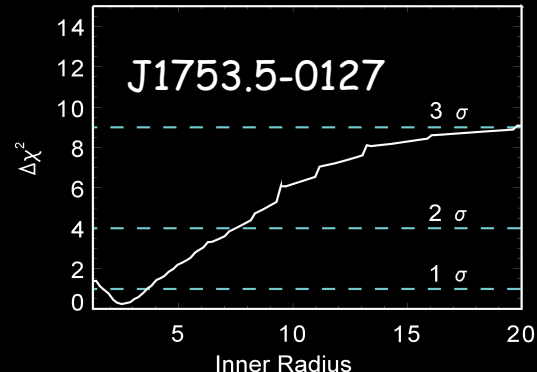
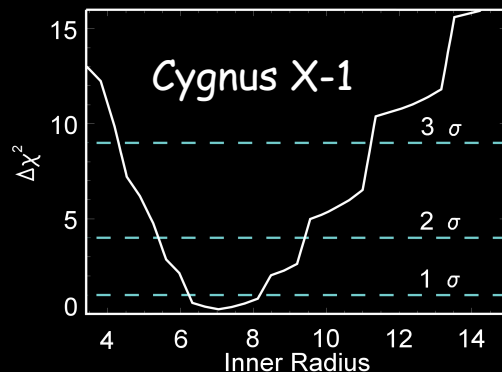
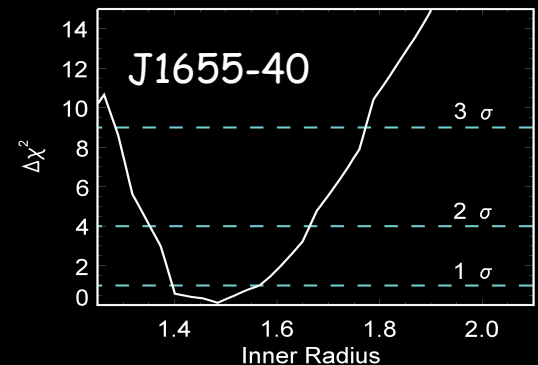
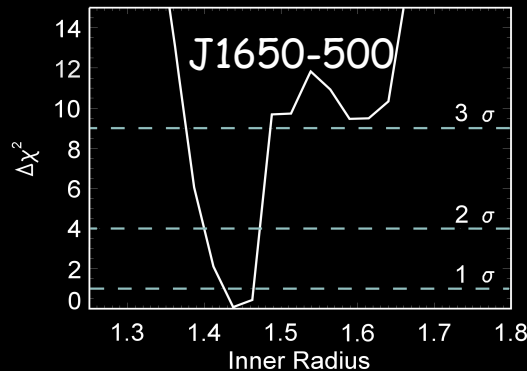
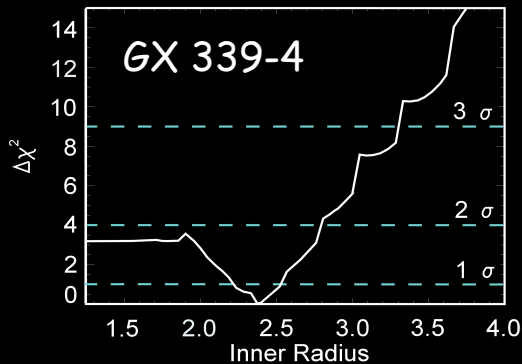


Results: Inner radius from reflection

An inner radius extending to **within 6R_g** is found in
GX 339-4, J1650-500 and J1655-40

For Cygnus X-1 the radius is constrained to **within 12R_g**

In J1753.5-0127 an inner radius greater than 20R_g is excluded at the 3 σ level



Summary:

- ➔ We present a study of 8 black holes in the LHS.
- ➔ A thermal disk continuum is clearly detected in all eight sources, down to $\sim 5 \times 10^{-4} L_{\text{Edd}}$.
- ➔ In six sources, disk models exclude a truncation radius of $10R_g$.
- ➔ Iron-K fluorescence line emission is observed in half of the sample, down to luminosities of $\sim 1.5 \times 10^{-3} L_{\text{Edd}}$.
- ➔ Detailed fits to the line profiles exclude a truncated disk in each case.

If the inner disk evaporates in the LHS, it must happen at or below $\sim 1.5 \times 10^{-3} L_{\text{Edd}}$.